Unit 11 Review – Conic Sections

- 1. Find the distance between (-6, -3) and (-3, 3). Round your answer to 3 decimals.
- 2. Find the midpoint between (-5,1) and (3,-8).
- 3. Find the equation of the perpendicular bisector between (1,5) and (-5,3).

4. Sketch the graph of $(y + 1)^2 = -8(x - 4)$ and identify the given information.

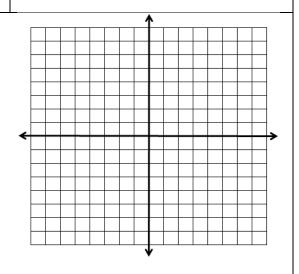
Coordinate of vertex:

Direction it opens:

Axis of symmetry:

Coordinate of focus:

Equation of directrix:



- 5. Find an equation for the parabola that has a *focus* at (-2,3) and a directrix at x=2.
- 6. (2, -3) is a point on a circle whose center is at the origin. Write an equation of the line tangent to the circle at the given point.
- 7. Write an equation for a circle whose center is at (-8, 2) and has a radius of 8.

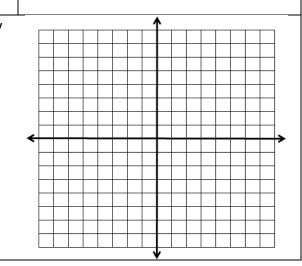
8. Sketch the graph of $9(x+3)^2 + 4(y-2)^2 = 36$ and identify the coordinate points for each of the following.

Center:

Vertices:

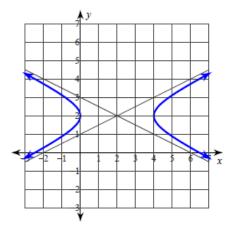
Co-vertices:

Foci:



- 9. Write an equation for a circle whose center is at (-3, -15) and one point on the circle is (-6, -16).
- 10. Write an equation for an ellipse given the following. Vertices: (9,4), (-1,4) Foci: (7,4), (1,4)
- 11. Write an equation for a hyperbola given the following. Vertices: (1,5), (-19,5) Endpoints of Conjugate Axis: (-9,11), (-9,-1)

12. Write an equation of the hyperbola.



13. Rewrite into conic section standard form and classify the conic.

$$9x^2 - 25y^2 - 50y - 250 = 0$$

- 14. The cross section of a solar oven is a parabola. The heating point is located at the focus, 2.5 feet above the vertex and the oven is 4 feet across. Assume the vertex is at the origin. How deep is the oven? (*Hint: write an equation and solve for y.*)
- 15. The center cross section of a rope pulley forms a hyperbolic shape for the outline of the concaved groove. The horizontal transverse axis of the hyperbolic outline has a distance of 8 centimeters from vertex to vertex and the foci are $2\sqrt{6}$ centimeters from the center. Write an equation that models the concaved groove.

